

## **Dr. Alex Freire Mean curvature flow for triple junctions of surfaces**

## TIME:

19 Jun 2007, 17:00 - 19:00

## LOCATION:

Freie Universität Berlin - Fachbereich Mathematik und Informatik Arnimallee 6, 14195 Berlin-Dahlem (Raum 031)

For a class of networks of surfaces in three-dimensional space, consider the geometric motion described informally as follows: the cells are parametrized by a disk or an annulus, and their interiors move by mean curvature flow. Each boundary component parametrizes either a `liquid edge' or a `free boundary'. Along each `liquid edge', three surfaces meet making constant 120 degree angles, while on the `free boundaries', the surfaces intersect a fixed support surface orthogonally. I'll discuss a proof of short-time existence of classical solutions. This is analogous to a well-known geometric evolution for curves, but the existence proof for that case does not translate directly to surfaces.